

# Seven Research Suggestions

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After (about) 22 years since the first paper, still many research questions exist.

For the two decades development, see the bibliography and the CMC20 talk of Gexiang Zhang, “Membrane Computing: Developmental Analysis” (to be published in *Journal of Membrane Computing*)

By the way: VERY important – **Journal of Membrane Computing**

**Write – read – cite!**

Contents in *Bulletin of the IMCS*:

<http://membranecomputing.net/IMCSBulletin/>

## Two Very General Ideas

**(Q1)** *Back to literature!*

M. Gheorghe, Gh. Păun, M.J. Pérez-Jiménez (Eds.) *Frontiers of Membrane Computing. Open Problems and Research Topics, Proc. 10th BWMC, Sevilla Univ., 2012, vol. 1, 171–249*

M. Gheorghe, Gh. Păun, M.J. Pérez-Jiménez, G. Rozenberg (Eds.) *Frontiers of Membrane Computing. Open Problems and Research Topics, Intern. J. Found. Computer Sci., 24, 5 (2013), 547–623.*

**Examine systematically the status of each suggestion made in this “mega-paper”**

**(Q2) Look to the future** (well,... *the future started yesterday...*), namely, to *the Fourth Industrial Revolution*: connectivity, artificial intelligence, machine learning, cyber-systems, robots...

Where can MC contribute?

## Three “Hybridization” Suggestions

**(Q3)** Systematic comparison of “basic” classes of P systems – cell-like, tissue-like, spiking neural, and numerical, with multiset rewriting rules, active membranes, symport/antiport, spiking rules, programs (production-repartition) rules, respectively, with various specific features – catalysts, polarizations, regular expression guarding the (spiking) rules, unique object (the spike), etc.

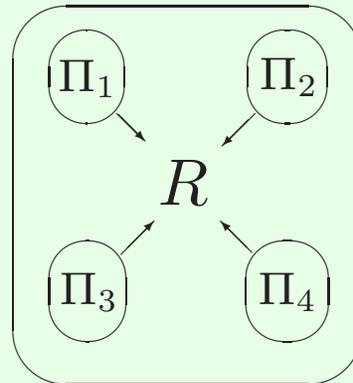
Examples of questions:

1. efficiency of one-object systems
2. numerical P systems with only one variable (in each region)
3. anti-matter in numerical P systems
4. SN P systems with “programs” like in numerical P systems? (can cover the sigmoidal function idea?)

## (Q4) Bridging P and R

Borrowing notions investigated in R and investigating them for P (which of them make sense? which of them are decidable?) was suggested many times.

Another “hybridization” idea:



Examine the usual R questions for such a hybrid system; what about computability in this framework? (how to define the result of a computation?); what about the case when the P systems not only send objects to the environment, but they can also bring objects back inside? what about using simple P systems (non-universal), or of various types? in the case of SN P systems, we will have two possibilities: to distinguish between the spikes of various SN P systems or not – in the latter case, the R system is supposed to get only one (type of) object from the environment; how R systems with only one object in their alphabet behave?

## (Q5) Bringing to MC further notions from the quantum area

1. To consider P systems with *quobjects*,  $(a, \alpha)$ ,  $a \in A$ ,  $0 \leq \alpha \leq 1$ .

What about rules of the form

$$a \rightarrow (b, \beta)(c, \gamma), \quad \beta, \gamma \in [-1, 1],$$

$$(a, \alpha) \rightarrow (b, \alpha \oplus \beta)(c, \alpha \oplus \gamma), \quad \text{where}$$
$$\alpha \oplus \delta = \begin{cases} 0, & \text{if } \alpha + \delta < 0, \\ \alpha + \delta, & \text{if } 0 \leq \alpha + \delta \leq 1, \\ 1, & \text{if } \alpha + \delta > 1, \end{cases}$$

A multiplicative operation? How to define a successful computation? By halting? And which could be the result of a computation? (Maybe the distance between two prescribed events, without halting, maybe the string of objects which reach probability 1.) Should the objects of the form  $(a, 0)$  be preserved in the system or they should be eliminated?

## 2. entanglement

How to define it? Hereditary?

Power and efficiency

Combine entanglement with quobjects (a possible new way towards efficiency?)

## Two More Precise Proposals

(Q6) **Homogeneous P systems** (the bio-chemistry is unique everywhere)

Example of questions:

1. efficiency for homogeneous P systems
2. homogeneous numerical P systems
3. various semantics
4. additional restriction: if  $P$  is the homogeneous set of rules present in all compartments, choose  $P' \subseteq P$  (maximal?) and use it (in the maximally parallel way, etc.) in all compartments. Power and efficiency?

**(Q7) SN P systems with astrocytes producing calcium**, with calcium directly involved in the spiking activity.

Two types of cells,

*astrocytes*  $\alpha_1, \dots, \alpha_m$ , of the form  $(c^{p_{i,0}}, A_i)$ ,  $p_{i,0} \geq 0$ ,

with the rules in  $A_i$  of the form  $E_c/c^s \rightarrow c^t$ ,  $s \geq 1, t \geq 0$ , and

*neurons*  $\sigma_1, \dots, \sigma_n$ , of the form  $(a^{r_{i,0}}, R_i)$ ,  $r_{i,0} \geq 0$ ,

with the rules in  $R_i$  of the form  $E_a/a^s c^{s'} \rightarrow a^t$ ,  $s, s' \geq 1, t \geq 0$ ,

Synapses: any but not  $(\sigma_i, \alpha_j)$

Versions: the regular expressions in neurons also depending on the calcium units (hence over the alphabet  $\{a, c\}$ ), with delay, with or without the possibility of replicating calcium, when an astrocyte sends objects  $c$  to several neurons.

Questions: normal forms, universality, small universal systems, plasticity, homogeneity, etc. Are astrocytes of this form improving the results known for usual SN P systems?

# Thank you!

...and please do not forget: **write, read, cite!**  
thus promoting **JMC**